# Additional file 1: Missing data exploration and the list of variables included in the imputation model. 

## Missing data

Table S1: Missing frequency in time use data

| Nr of not-filledin | 0 | 1 | 2 | 3 | 4 | 5 | 6 | 7 | 8 | 9 | 10 | 11 | 12 | 13 | 14 | 15 | 16 | 17 |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Nr of participants | 1576 | 14 | 12 | 10 | 8 | 4 | 5 | 3 | 6 | 3 | 3 | 1 | 2 | 1 | 1 | 6 | 3 | 49 |

Table S2: Missing frequency by diary versions. Version 1 is for children less than 13, version 2 is for participants from 13 to 65 and version 3 for participants older than 65.

| Nr of not-filledin | Version 1 | Version 2 | Version 3 |
| :---: | :---: | :---: | :---: |
| 0 | 283 | 1012 | 281 |
| $1+$ | 13 | 90 | 28 |



Figure S1: Missing data by time slots

## Variables included in the imputation model

Table S3: Variables included in the imputation model

| Nr | Variable name | Variable labels | Type | Value labels |
| :---: | :---: | :---: | :---: | :---: |
| 1. | participant_age | Age of survey participants | Integer |  |
| 2. | participant_gender | Gender of survey participants | String 1 char | M: male F: female |
| 3. | dayofweek | Day of the week of filling in the diary | Integer | 0: Sunday <br> 1: Monday <br> 2: Tuesday <br> 3: Wednesday <br> 4: Thursday <br> 5: Friday <br> 6 : Saturday |
| 4. | holiday | Was the diary filled in during a public or school holiday? | String 1 char | $\begin{aligned} & \text { Y: Yes } \\ & \text { N: No } \end{aligned}$ |
| 5. | time_use_location_1 | Location where you spent the most time between: 5-8h | Integer | ```1: home kinder-garden school workplace transport family leisure other 9: missing``` |
| 6. | time_use_location_2 | Location where you spent the most time between: 9-10h | Integer | As above |
| 7. | time_use_location_3 | Location where you spent the most time between: 10-11h | Integer | As above |
| 8. | time_use_location_4 | Location where you spent the most time between: 11-12h | Integer | As above |
| 9. | time_use_location_5 | Location where you spent the most time between: 12-13h | Integer | As above |
| 10. | time_use_location_6 | Location where you spent the most time between: 13-14h | Integer | As above |
| 11. | time_use_location_7 | Location where you spent the most time between: 14-15h | Integer | As above |
| 12. | time_use_location_8 | Location where you spent the most time between: 15-16h | Integer | As above |
| 13. | time_use_location_9 | Location where you spent the most time between: 16-17h | Integer | As above |
| 14. | time_use_location_10 | Location where you spent the most time between: 17-18h | Integer | As above |
| 15. | time_use_location_11 | Location where you spent the most time between: 18-19h | Integer | As above |
| 16. | time_use_location_12 | Location where you spent the most time between: 19-20h | Integer | As above |
| 17. | time_use_location_13 | Location where you spent the most time between: 20-22h | Integer | As above |
| 18. | time_use_location_14 | Location where you spent the most time between: 22-24h | Integer | As above |
| 19. | time_use_location_15 | Location where you spent the most time between: 24-02h | Integer | As above |
| 20. | time_use_location_16 | Location where you spent the most time between: 02-05h | Integer | As above |
| 21. | time_use_location_17 | Location where you spent the most time between: 05-08h | Integer | As above |
| 22. | hh_size | Household size including participants | Integer |  |

## Calculation of Confidence Interval (CI)

MI is used for the dataset $\mathcal{D}=\left\{\mathcal{D}^{o b s}, \mathcal{D}^{m i s}\right\}$ where the data matrix consist of both observed and missing values. For each of the $\mathcal{M}$ imputed datasets $\mathcal{D}_{m}, \mathcal{B}$ bootstrap samples are drawn which yields $\mathcal{M} \times \mathcal{B}$ datasets $\mathcal{D}_{m, b}^{*}$ where $b=1, \ldots, \mathcal{B}$ and $m=1, \ldots, \mathcal{M}$. In each of these datasets, the parameter of interest is estimated, $\hat{\theta}_{m, b}^{*}$. The pooled set of ordered estimates $\Theta_{M B}^{*}=\left\{\hat{\theta}_{m, b}^{*} ; b=1, . ., \mathcal{B} ; m=1, \ldots ., \mathcal{M}\right\}$ is used to construct the $1-2 \alpha \%$ confidence interval for $\theta$ [4]:

$$
\begin{equation*}
\left[\hat{\theta}_{\text {lower }} ; \hat{\theta}_{\text {upper }}\right]=\left[\hat{\theta}_{M B}^{*, \alpha} ; \hat{\theta}_{M B}^{*, 1-\alpha}\right] \tag{1}
\end{equation*}
$$

Where $\hat{\theta}_{M B}^{*, \alpha}$ is the $\alpha$ percentile of the ordered estimates $\Theta_{M B}^{*}$

