

Influencing walking behavior can increase the physical activity of patients with chronic pain hospitalized for multidisciplinary rehabilitation: an observational study

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Model 1: Moderate-to-vigorous physical activity at home and at the rehabilitation clinic

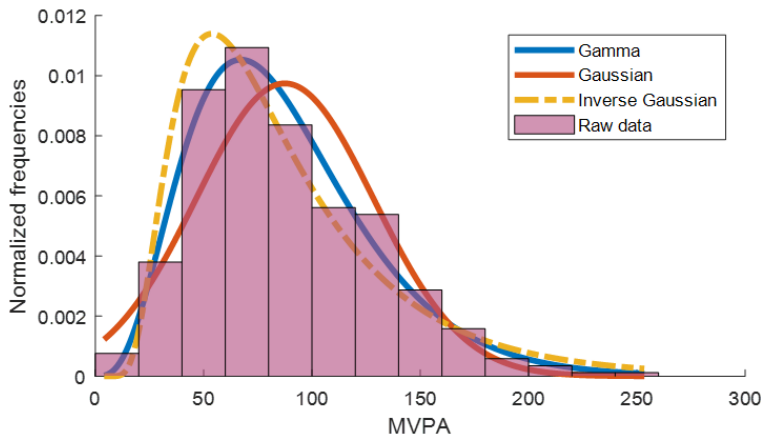


Figure S1. MVPA Histogram. Normalized frequencies as a function of MVPA and best-fit curves for Gamma, Gaussian and Inverse Gaussian distributions. N= 855 days.

Table S1. Matlab output of Model 1.

```
mdl=fitglm(data,'MVPA ~ 1 + Day_type +
(Day_type|Subject)', 'Distribution', 'Gamma', 'link', 'log', 'FitMethod', 'REML');
```

Generalized linear mixed-effects model fit by PL

Model information:

Number of observations	855
Fixed effects coefficients	4
Random effects coefficients	372
Covariance parameters	11
Distribution	Gamma
Link	Log
FitMethod	REML

Formula:

```
MVPA ~ 1 + Day_type + (1 + Day_type | Subject)
```

Model fit statistics:

AIC	BIC	LogLikelihood	Deviance
816.73	887.93	-393.37	786.73

Fixed effects coefficients (95% CIs):

Name	Estimate	SE	tStat	DF	pValue	Lower	Upper
'(Intercept)'	4.174	0.058212	71.702	851	0	4.0597	4.2882
'Day_type_2'	0.15531	0.038882	3.9945	851	7.044e-05	0.078997	0.23163
'Day_type_3'	0.12437	0.048288	2.5756	851	0.010176	0.029591	0.21914
'Day_type_4'	0.38848	0.058894	6.5963	851	7.401e-11	0.27289	0.50408

Random effects covariance parameters:

Group: Subject (93 Levels)

Name1	Name2	Type	Estimate
'(Intercept)'	'(Intercept)'	'std'	0.48213
'Day_type_2'	'(Intercept)'	'corr'	-0.64506
'Day_type_3'	'(Intercept)'	'corr'	-0.73858
'Day_type_4'	'(Intercept)'	'corr'	-0.81103
'Day_type_2'	'Day_type_2'	'std'	0.18637
'Day_type_3'	'Day_type_2'	'corr'	-0.030467
'Day_type_4'	'Day_type_2'	'corr'	0.21964
'Day_type_3'	'Day_type_3'	'std'	0.18957
'Day_type_4'	'Day_type_3'	'corr'	0.81085
'Day_type_4'	'Day_type_4'	'std'	0.44055

Group: Error

Name	Estimate
'sqrt(Dispersion)'	0.30944

Model 2: Univariable GLMM for day type effects on moderate-to-vigorous physical activity (MVPA)

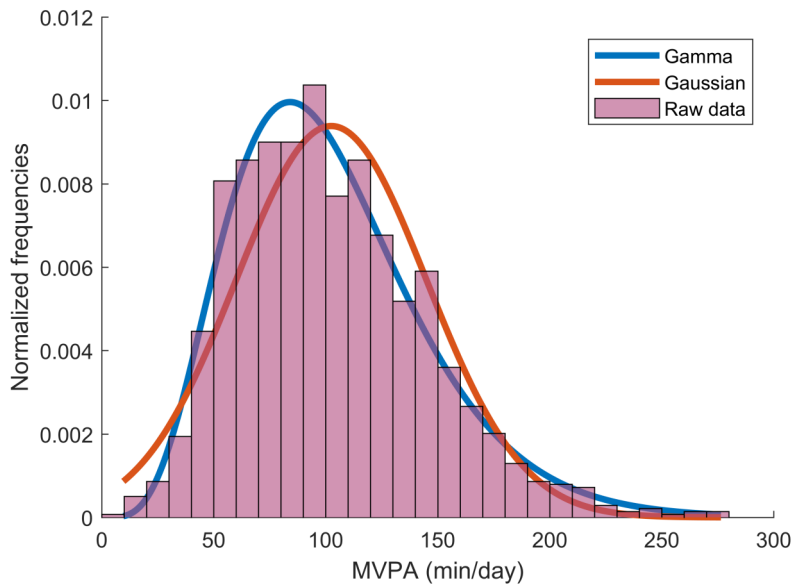


Figure S2. MVPA Histogram. Normalized frequencies as a function of MVPA and best-fit curves for Gamma and Gaussian distributions. N= 1388 days.

Table S2. Matlab output of Model 2.

```
mdl =fitglme(data, 'MVPA ~ 1 + Day_Type + (Day_Type|Subject)', 'Distribution', 'Gamma', 'link', 'log', 'FitMethod', 'REML');
```

Generalized linear mixed-effects model fit by PL

Model information:

Number of observations	1388
Fixed effects coefficients	2
Random effects coefficients	544
Covariance parameters	4
Distribution	Gamma
Link	Log
FitMethod	REML

Formula:

MVPA ~ 1 + Day_Type + (1 + Day_Type | Subject)

Model fit statistics:

AIC	BIC	LogLikelihood	Deviance
1054.5	1085.9	-521.25	1042.5

Fixed effects coefficients (95% CIs):

Name	Estimate	SE	tStat	DF	pValue	Lower	Upper
'(Intercept)'	4.346	0.028928	150.23	1386	0	4.2893	4.4028
'Day_Type_1'	0.29655	0.028327	10.469	1386	9.7834e-25	0.24098	0.35212

Random effects covariance parameters:

Group: Subject (272 Levels)

Name1	Name2	Type	Estimate
'(Intercept)'	'(Intercept)'	'std'	0.38555
'Day_Type_1'	'(Intercept)'	'corr'	-0.68456
'Day_Type_1'	'Day_Type_1'	'std'	0.34486

Group: Error

Name	Estimate
'sqrt(Dispersion)'	0.26912

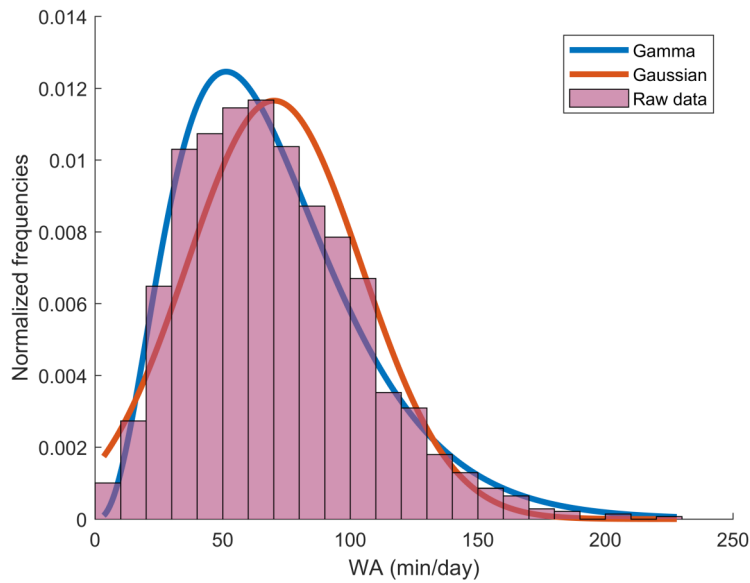
Model 3: Univariable GLMM for day type effects on walking activity (WA)

Figure S3. WA Histogram. Normalized frequencies as a function of WA and best-fit curves for Gamma and Gaussian distributions. N= 1388 days.

Table S3. Matlab output of Model 3.

```
mdl =fitglme(data, 'WA~ 1 + Day_Type +
(Day_Type|Subject)', 'Distribution', 'Gamma', 'link', 'log', 'FitMethod', 'REML');
```

Generalized linear mixed-effects model fit by PL

Model information:

Number of observations	1388
Fixed effects coefficients	2
Random effects coefficients	544
Covariance parameters	4
Distribution	Gamma
Link	Log
FitMethod	REML

Formula:

WA ~ 1 + Day_Type + (1 + Day_Type | Subject)

Model fit statistics:

AIC	BIC	LogLikelihood	Deviance
1528.5	1559.9	-758.23	1516.5

Fixed effects coefficients (95% CIs):

Name	Estimate	SE	tStat	DF	pValue	Lower	Upper
'(Intercept)'	3.7781	0.035947	105.1	1386	0	3.7076	3.8487
'Day_Type_1'	0.50425	0.035709	14.121	1386	2.1052e-42	0.4342	0.5743

Random effects covariance parameters:

Group: Subject (272 Levels)

Name1	Name2	Type	Estimate
'(Intercept)'	'(Intercept)'	'std'	0.48745
'Day_Type_1'	'(Intercept)'	'corr'	-0.70506
'Day_Type_1'	'Day_Type_1'	'std'	0.45291

Group: Error

Name	Estimate
'sqrt(Dispersion)'	0.3119

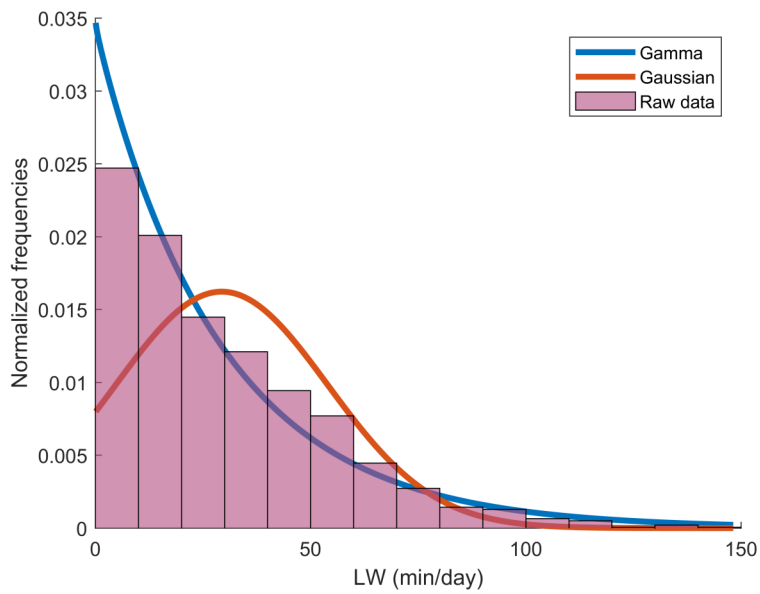
Model 4: Univariable GLMM for day type effects on long walks (LW)

Figure S4. LW Histogram. Normalized frequencies as a function of LW and best-fit curves for Gamma and Gaussian distributions. N= 1388 days.

Table S4. Matlab output of Model 4.

```
mdl =fitglme(data,'LW~ 1 + Day_Type +
(Day_Type|Subject)', 'Distribution', 'Gamma', 'link', 'log', 'FitMethod', 'REML');
```

Generalized linear mixed-effects model fit by PL

Model information:

Number of observations	1388
Fixed effects coefficients	2
Random effects coefficients	544
Covariance parameters	4
Distribution	Gamma
Link	Log
FitMethod	REML

Formula:

```
LW ~ 1 + Day_Type + (1 + Day_Type | Subject)
```

Model fit statistics:

AIC	BIC	LogLikelihood	Deviance
3329.2	3360.6	-1658.6	3317.2

Fixed effects coefficients (95% CIs):

Name	Estimate	SE	tStat	DF	pValue	Lower	Upper
'(Intercept)'	1.9786	0.092186	21.463	1386	1.8507e-88	1.7978	2.1594
'Day_Type_1'	1.3917	0.090186	15.431	1386	1.0657e-49	1.2148	1.5686

Random effects covariance parameters:

Group: Subject (272 Levels)

Name1	Name2	Type	Estimate
'(Intercept)'	'(Intercept)'	'std'	1.3207
'Day_Type_1'	'(Intercept)'	'corr'	-0.88808
'Day_Type_1'	'Day_Type_1'	'std'	1.2464

Group: Error

Name	Estimate
'sqrt(Dispersion)'	0.56993

Model 5: Multivariable GLMM for moderate-to-vigorous physical activity (MVPA)**Table S5. Matlab ANOVA analysis of Model 5**

```
mdl = fitglme(data, 'MVPA ~ 1 + PI * Site * Day_Type +
(Day_Type|Subject)', 'Distribution', 'Gamma', 'link', 'log', 'FitMethod', 'MPL');
anova(mdl)
```

ANOVA marginal tests: DFMethod = 'residual'

Term	FStat	DF1	DF2	pValue
'(Intercept)'	8123.5	1	1348	0
'Day_Type'	43.302	1	1348	6.6972e-11
'PI'	0.651	1	1348	0.4199
'Site'	0.078317	2	1348	0.92468
'Day_Type:PI'	0.41375	1	1348	0.52018
'Day_Type:Site'	1.2733	2	1348	0.28024
'PI:Site'	4.6021	2	1348	0.010189
'Day_Type:PI:Site'	4.0144	2	1348	0.018271

Table S6. Matlab output of Model 5

```
mdl = fitglme(data, 'MVPA ~ 1 + Day_Type + PI * Site + Day_Type:PI:Site +
(Day_Type|Subject)', 'Distribution', 'Gamma', 'link', 'log', 'FitMethod', 'REML');
```

Generalized linear mixed-effects model fit by PL

Model information:

Number of observations	1360
Fixed effects coefficients	9
Random effects coefficients	534
Covariance parameters	4
Distribution	Gamma
Link	Log
FitMethod	REML

Formula:

MVPA ~ 1 + Day_Type + PI*Site + Day_Type:PI:Site + (1 + Day_Type | Subject)

Model fit statistics:

AIC	BIC	LogLikelihood	Deviance
1034.5	1102.2	-504.26	1008.5

Fixed effects coefficients (95% CIs):

Name	Estimate	SE	tStat	DF	pValue	Lower	Upper
'(Intercept)'	4.4094	0.039106	112.76	1351	0	4.3327	4.4861
'Day_Type_1'	0.2786	0.030132	9.246	1351	8.8002e-20	0.21949	0.33771
'PI'	-0.029748	0.01524	-1.9519	1351	0.051153	-0.059644	0.00014923
'Site_2'	-0.09783	0.052583	-1.8605	1351	0.063032	-0.20098	0.0053226
'Site_3'	-0.051856	0.043377	-1.1955	1351	0.23212	-0.13695	0.033238
'PI:Site_2'	-0.075762	0.031161	-2.4313	1351	0.015174	-0.13689	-0.014633
'PI:Site_3'	0.0098085	0.0264	0.37153	1351	0.7103	-0.041982	0.061599
'Day_Type_1:PI:Site_2'	0.065155	0.02675	2.4357	1351	0.014991	0.012679	0.11763
'Day_Type_1:PI:Site_3'	-0.0087286	0.02138	-0.40826	1351	0.68314	-0.05067	0.033213

Random effects covariance parameters:

Group: Subject (267 Levels)

Name1	Name2	Type	Estimate
'(Intercept)'	'(Intercept)'	'std'	0.37114
'Day_Type_1'	'(Intercept)'	'corr'	-0.6916
'Day_Type_1'	'Day_Type_1'	'std'	0.34786

Group: Error

Name	Estimate
'sqrt(Dispersion)'	0.26535

Model 6: Multivariable GLMM for walking activity (WA)**Table S7. Matlab ANOVA analysis of Model 6**

```
mdl = fitglme(data, 'WA ~ 1 + PI * Site * Day_Type +
(Day_Type|Subject)', 'Distribution', 'Gamma', 'link', 'log', 'FitMethod', 'MPL');
anova(mdl)
```

ANOVA marginal tests: DFMethod = 'residual'

Term	FStat	DF1	DF2	pValue
'(Intercept)'	3864.1	1	1348	0
'Day_Type'	78.925	1	1348	2.0177e-18
'PI'	0.66817	1	1348	0.41383
'Site'	0.11266	2	1348	0.89346
'Day_Type:PI'	0.22924	1	1348	0.63216
'Day_Type:Site'	1.7164	2	1348	0.1801
'PI:Site'	3.8504	2	1348	0.021505
'Day_Type:PI:Site'	3.7847	2	1348	0.022958

Table S8. Matlab output of Model 6

```
mdl = fitglme(data, 'WA ~ 1 + Day_Type + PI * Site + Day_Type:PI:Site +
(Day_Type|Subject)', 'Distribution', 'Gamma', 'link', 'log', 'FitMethod', 'REMP');
```

Generalized linear mixed-effects model fit by PL

Model information:

Number of observations	1360
Fixed effects coefficients	9
Random effects coefficients	534
Covariance parameters	4
Distribution	Gamma
Link	Log
FitMethod	REMP

Formula:

WA ~ 1 + Day_Type + PI*Site + Day_Type:PI:Site + (1 + Day_Type | Subject)

Model fit statistics:

AIC	BIC	LogLikelihood	Deviance
1517.7	1585.4	-745.85	1491.7

Fixed effects coefficients (95% CIs):

Name	Estimate	SE	tStat	DF	pValue	Lower	Upper
'(Intercept)'	3.8349	0.04891	78.409	1351	0	3.739	3.9309
'Day_Type_1'	0.48015	0.037926	12.66	1351	8.526e-35	0.40575	0.55455
'PI'	-0.034033	0.018993	-1.7919	1351	0.073381	-0.071293	0.0032264
'Site_2'	-0.095419	0.065431	-1.4583	1351	0.14499	-0.22378	0.032938
'Site_3'	-0.019085	0.054044	-0.35314	1351	0.72404	-0.1251	0.086934
'PI:Site_2'	-0.073756	0.038998	-1.8913	1351	0.058798	-0.15026	0.0027463
'PI:Site_3'	0.028772	0.033037	0.87093	1351	0.38395	-0.036036	0.093581
'Day_Type_1:PI:Site_2'	0.077269	0.033639	2.297	1351	0.02177	0.011279	0.14326
'Day_Type_1:PI:Site_3'	-0.012245	0.026914	-0.45498	1351	0.6492	-0.065043	0.040552

Random effects covariance parameters:

Group: Subject (267 Levels)

Name1	Name2	Type	Estimate
'(Intercept)'	'(Intercept)'	'std'	0.47501
'Day_Type_1'	'(Intercept)'	'corr'	-0.7028
'Day_Type_1'	'Day_Type_1'	'std'	0.45362

Group: Error

Name	Estimate
'sqrt(Dispersion)'	0.30959

Model 7: Multivariable GLMM for long walks (LW)**Table S9. Matlab ANOVA analysis of Model 7**

```
mdl = fitglme(data, 'LW ~ 1 + PI * Site * Day_Type +
(Day_Type|Subject)', 'Distribution', 'Gamma', 'link', 'log', 'FitMethod', 'MPL');
anova(mdl)
```

ANOVA marginal tests: DFMethod = 'residual'

Term	FStat	DF1	DF2	pValue
'(Intercept)'	157.23	1	1348	3.3929e-34
'Day_Type'	91.817	1	1348	4.3849e-21
'PI'	0.45594	1	1348	0.49964
'Site'	0.43166	2	1348	0.64952
'Day_Type:PI'	0.04171	1	1348	0.8382
'Day_Type:Site'	1.7554	2	1348	0.17323
'PI:Site'	1.8851	2	1348	0.15221
'Day_Type:PI:Site'	2.126	2	1348	0.11971

Table S10. Matlab output of Model 7

```
mdl = fitglme(data, 'LW ~ 1 + Day_Type + PI + Site +
(Day_Type|Subject)', 'Distribution', 'Gamma', 'link', 'log', 'FitMethod', 'REMP');
```

Generalized linear mixed-effects model fit by PL

Model information:

Number of observations	1360
Fixed effects coefficients	5
Random effects coefficients	534
Covariance parameters	4
Distribution	Gamma
Link	Log
FitMethod	REMP

Formula:

```
LW ~ 1 + Day_Type + PI + Site + (1 + Day_Type | Subject)
```

Model fit statistics:

AIC	BIC	LogLikelihood	Deviance
3261.5	3308.4	-1621.8	3243.5

Fixed effects coefficients (95% CIs):

Name	Estimate	SE	tStat	DF	pValue	Lower	Upper
'(Intercept)'	2.0627	0.10886	18.949	1355	3.2422e-71	1.8492	2.2763
'Day_Type_1'	1.3663	0.08965	15.24	1355	1.5862e-48	1.1904	1.5422
'PI'	-0.038271	0.02033	-1.8825	1355	0.059983	-0.078153	0.0016106
'Site_2'	-0.17206	0.11282	-1.5251	1355	0.12746	-0.39338	0.049257
'Site_3'	-0.053089	0.097145	-0.5465	1355	0.58481	-0.24366	0.13748

Random effects covariance parameters:

Group: Subject (267 Levels)

Name1	Name2	Type	Estimate
'(Intercept)'	'(Intercept)'	'std'	1.3062
'Day_Type_1'	'(Intercept)'	'corr'	-0.88596
'Day_Type_1'	'Day_Type_1'	'std'	1.2217

Group: Error

Name	Estimate
'sqrt(Dispersion)'	0.56787

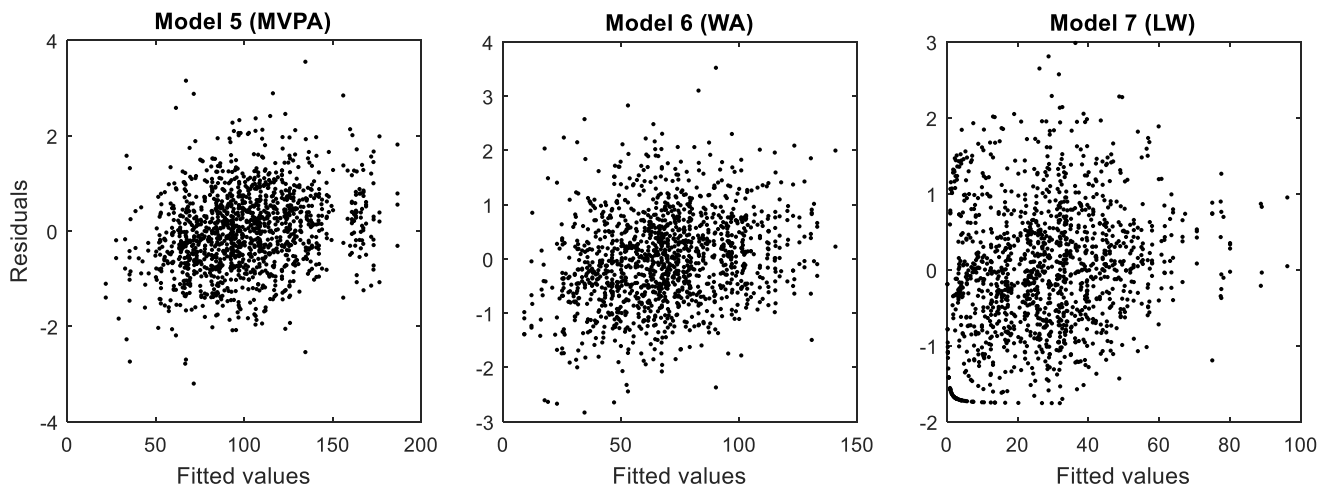


Fig. S5. Pearson's residuals of the multivariable models. Contributions from both fixed effects and random effects (conditional).