## Additional file 1

## Supplementary materials and methods for the manuscript entitled "Effect of evidence updates on key determinants of measles vaccination impact: a DynaMICE modelling study in ten high-burden countries"

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Table S1. List of parameters in DynaMICE

| Symbol | Definition | Value | References |
| :---: | :--- | :--- | :--- |
| $\boldsymbol{C}_{a, a \prime}$ | Standardised age-dependent <br> contact matrix between a <br> susceptible of age group $a$ and an <br> infectious case of age group $a^{\prime}$ | country-specific | Mossong et al. [1] <br> Prem et al. [2] |
| $R_{0}$ | Basic reproduction number | 16 | Guerra et al. [3] <br> Varied in the sensitivity analysis |
| $g$ | Recovering rate | $1 / 14 \mathrm{~d}^{-1}$ | Strebel et al. [4] |
| $m$ | Maternal immunity waning rate | $1 / \mathrm{y}^{-1} 5 \mathrm{y}^{-1}$ | Lasting for an average of 6 months. |
| $\sigma_{a}$ | Ageing rate of age group $a$, weekly <br> for for 0, 1, and 2 years old and <br> yearly for 3 to 100 years old | $1 / 7 \mathrm{~d}^{-1}($ weekly) <br> $1 \mathrm{y}^{-1}$ (annual) | Adjusted to match the age <br> structure and timestep |
| $\varepsilon$ | Amplification factor for seasonality | 0.05 | Assumed |
| $\phi$ | Two-dose vaccine efficacy | 0.98 | Sudfeld, Navar, and Halsey [5] |
| $\delta_{1, a}$ | First-dose vaccine efficacy of age <br> group $a$ | $0.64598+0.01485^{*}$ <br> age in months | Hughes et al. [6] <br> Determined by a linear function <br> and assumed $\leq \phi$ |
| $\delta_{2, a, t}$ | Second-dose vaccine efficacy of age <br> group $a$ at time $t$ | See Note S1: Part 2 <br> of model equations | Depending on the proportion of <br> effective protection among those <br> who have first-dose vaccination |
| $\delta_{3}$ | Third-dose vaccine efficacy | 0 | Assumed |
| $v_{1, a, t}$ | First-dose routine vaccination <br> coverage of age group $a$ | country-specific | WHO [7] |
| $v_{2, a, t}$ | Second-dose routine vaccination <br> coverage of age group $a$ | country-specific | WHO [7] <br> Only delivered to 72-week-olds |
| $v_{3, a, t}$ | SIA coverage in overall population of <br> age group $a$ at time $t$ | country-specific | WHO [8] <br> See 'Note S2. Calculating national <br> SIA coverage' section |

## Note S1. Model equations

We present the difference equations used in the DynaMICE model, first with the part that depicts measles transmission dynamics and followed by ageing and vaccination. Parameters in these equations are summarised in Table S1.

In the DynaMICE model, individuals in each age group are divided into 13 compartments to capture different states of measles dynamics. The total population of all the states in an age group $a$ at time $t$ is denoted as $N_{a, t}$. There are 254 age groups included in the model, with the first 156 groups representing the weekly age for those from 0 to 2 years old and the rest for the yearly age between 3 and 100 years old. The basic compartments for measles transmission include maternally immune ( $M_{a, t}$ ), susceptible ( $S_{a, t}$ ), infectious $\left(I_{a, t}\right)$, and recovered ( $R_{a, t}$ ) states; additional compartments are included to distinguish the first $\left(V S_{a, t}, V I_{a, t}\right.$, $\left.V R_{a, t}\right)$, second ( $\left.V 2 S_{a, t}, V 2 I_{a, t}, V 2 R_{a, t}\right)$, and third times ( $V 3 S_{a, t}, V 3 I_{a, t}, V 3 R_{a, t}$ ) of an individual being targeted and reached by vaccination programmes.
$N_{a, t}=M_{a, t}+S_{a, t}+I_{a, t}+R_{a, t}+V S_{a, t}+V I_{a, t}+V R_{a, t}+V 2 S_{a, t}+V 2 I_{a, t}+V 2 R_{a, t}+V 3 S_{a, t}+V 3 I_{a, t}$ $+V 3 R_{a, t}$

## Part 1: Transmission dynamics

Measles transmission is governed by force of measles infection $\left(\lambda_{a, t}\right)$, which consists of seasonal variation $\left(\omega_{t}\right)$, disease transmissibility $\left(R_{0}\right)$, and standardised, age-dependent contact matrix $\left(\boldsymbol{C}_{a, a \prime}\right)$.

$$
\begin{aligned}
& \lambda_{a, t}=\omega_{t} R_{0} g \sum_{a \prime=1}^{a^{\prime}=254} C_{a, a \prime} \frac{\left(I_{a \prime, t}+V I_{a \prime, t}+V 2 I_{a \prime, t}+V 3 I_{a \prime, t}\right)}{N_{a \prime, t}} \\
& \omega_{t}=1+\varepsilon \sin (2 \pi t) \\
& S_{a, t+1}=S_{a, t}-\lambda_{a, t} S_{a, t} \\
& I_{a, t+1}=I_{a, t}+\lambda_{a, t} S_{a, t}-g I_{a, t} \\
& R_{a, t+1}=R_{a, t}+g I_{a, t} \\
& V S_{a, t+1}=V S_{a, t}-\lambda_{a, t} V S_{a, t} \\
& V I_{a, t+1}=V I_{a, t}+\lambda_{a, t} V S_{a, t}-g V I_{a, t} \\
& V R_{a, t+1}=V R_{a, t}+g V I_{a, t} \\
& V 2 S_{a, t+1}=V 2 S_{a, t}-\lambda_{a, t} V 2 S_{a, t} \\
& V 2 I_{a, t+1}=V 2 I_{a, t}+\lambda_{a, t} V 2 S_{a, t}-g V 2 I_{a, t} \\
& V 2 R_{a, t+1}=V 2 R_{a, t}+g V 2 I_{a, t} \\
& V 3 S_{a, t+1}=V 3 S_{a, t}-\lambda_{a, t} V 3 S_{a, t} \\
& V 3 I_{a, t+1}=V 3 I_{a, t}+\lambda_{a, t} V 3 S_{a, t}-g V 3 I_{a, t} \\
& V 3 R_{a, t+1}=V 3 R_{a, t}+g V 3 I_{a, t}
\end{aligned}
$$

## Part 2: Ageing and vaccination implementation

Routine vaccination is delivered to the target age group at the same time as ageing occurs, while SIAs are delivered at the beginning of the selected years. SIAs conducted at subnational level are merged to generate a national coverage for model input. As Figure 3D in the main text shown, we applied a logistic function based on the SIA coverage in the overall target population ( $v_{3, a, t}$ ) to address the dependency of SIAs on previous vaccination history by SIAs. We then compared the number of doses delivered to the zero-dose
population $\left(D_{z e r o, a, t}\right)$ and total target population $\left(D_{\text {all,a,t }}\right)$, and estimated the respective SIA coverages in populations with ( $\kappa_{2, a, t}$ ) and without ( $\kappa_{1, a, t}$ ) previous measles vaccination history.
$D_{z e r o, a, t}=\left(\frac{e^{-2.6217+5.2383 v_{3, a, t}}}{1+e^{-2.6217+5.2383 v_{3, a, t}}}\right)\left(S_{a, t}+I_{a, t}+R_{a, t}\right)$
$D_{a l l, a, t}=v_{3, a} N_{a, t}$
$\kappa_{1, a, t}= \begin{cases}\frac{e^{-2.6217+5.2383 v_{3, a, t}}}{1+e^{-2.6217+5.2383 v_{3, a, t}}}, & D_{\text {all }, a, t} \geq D_{\text {zero }, a, t} \\ \frac{D_{\text {all }, a, t}}{D_{\text {zero }, a, t}} & \text { otherwise }\end{cases}$
$\kappa_{2, a, t}= \begin{cases}\frac{D_{\text {zero }, a, t}-D_{\text {all }, a, t}}{N_{a, t}-\left(S_{a, t}+I_{a, t}+R_{a, t}\right)}, & D_{\text {all,a,t }} \geq D_{\text {zero }, a, t} \\ 0, & \text { otherwise }\end{cases}$

A compartment ( $V E F F_{a, t+1}$ ), although not contributing to measles dynamics, is used to count the population size with effective first-dose vaccine protection, which is later used to determine the second-dose efficacy $\left(\delta_{2, a, t}\right)$.

$$
\begin{aligned}
& V E F F_{a, t+1}=V E F F_{a, t}-\sigma_{a} V E F F_{a, t}+\sigma_{a}\left(1-v_{2, a-1, t+1}\right) V E F F_{a-1, t} \\
& \quad \begin{array}{l}
\quad+\sigma_{a} \delta_{1, a}\left(v_{1, a-1, t+1}+v_{2, a-1, t+1}-v_{2, a-1, t+1} v_{1, a-1, t+1}\right) v_{1, a-1, t+1} S_{a-1, t+1}
\end{array} \\
& \begin{array}{l}
\quad \begin{array}{l}
a, t
\end{array}=\frac{V E F F_{a, t}}{V S_{a, t}+V I_{a, t}+V R_{a, t}}
\end{array}
\end{aligned}
$$

$$
\delta_{2, a, t}= \begin{cases}\phi \quad, & V S_{a, t}+V I_{a, t}+V R_{a, t}=0 \\ \frac{\phi-\rho_{a, t}}{1-\rho_{a, t}}, & \left(V S_{a, t}+V I_{a, t}+V R_{a, t} \neq 0\right) \wedge\left(\phi>\rho_{a, t}\right) \\ 0, & \text { otherwise }\end{cases}
$$

$$
M_{a, t+1}=M_{a, t}-\sigma_{a} M_{a, t}+\sigma_{a}\left(1-v_{1, a-1, t+1}\right) M_{a-1, t}-m M_{a, t}
$$

$$
S_{a, t+1}=S_{a, t+1}-\sigma_{a} S_{a, t+1}+\sigma_{a}\left(1-v_{1, a-1, t+1}\right) S_{a-1, t+1}+m M_{a, t}-\kappa_{1, a, t} S_{a, t+1}
$$

$$
I_{a, t+1}=I_{a, t+1}-\sigma_{a} I_{a, t+1}+\sigma_{a}\left(1-v_{1, a-1, t+1}\right) I_{a-1, t+1}-\kappa_{1, a, t} I_{a, t+1}
$$

$$
R_{a, t+1}=R_{a, t+1}-\sigma_{a} R_{a, t+1}+\sigma_{a}\left(1-v_{1, a-1, t+1}\right) R_{a, t+1}-\kappa_{1, a, t} R_{a, t+1}
$$

$$
V S_{a, t+1}=V S_{a, t+1}-\sigma_{a} V S_{a, t+1}+\sigma_{a}\left(1-v_{2, a-1, t+1}\right) V S_{a-1, t+1}+\sigma_{a}\left(1-\delta_{1, a}\right) v_{1, a-1, t+1}\left(S_{a-1, t+1}+M_{a-1, t}\right)
$$

$$
+\kappa_{1, a, t}\left(1-\delta_{1, a}\right) S_{a, t+1}-\kappa_{2, a, t} V S_{a, t+1}
$$

$$
V I_{a, t+1}=V I_{a, t+1}-\sigma_{a} V I_{a, t+1}+\sigma_{a}\left(1-v_{2, a-1, t+1}\right) V I_{a-1, t+1}+\sigma_{a} v_{1, a-1, t+1} I_{a-1, t+1}+\kappa_{1, a, t} I_{a, t+1}
$$

$$
-\kappa_{2, a, t} V I_{a, t+1}
$$

$$
V R_{a, t+1}=V R_{a, t+1}-\sigma_{a} V R_{a, t+1}+\sigma_{a}\left(1-v_{2, a-1, t+1}\right) V R_{a-1, t+1}+\sigma_{a} \delta_{1, a} v_{1, a-1, t+1}\left(S_{a-1, t+1}+M_{a-1, t}\right)
$$

$$
+\sigma_{a} v_{1, a-1, t+1} R_{a-1, t+1}+\kappa_{1, a, t} R_{a, t+1}+\kappa_{1, a, t} \delta_{1, a} S_{a, t+1}-\kappa_{2, a, t} V R_{a, t+1}
$$

$$
\begin{aligned}
& V 2 S_{a, t+1}= V 2 S_{a, t+1}-\sigma_{a} V 2 S_{a, t+1}+\sigma_{a}\left(1-v_{2, a-1, t+1}\right) V 2 S_{a-1, t+1}+\sigma_{a} v_{2, a-1, t+1}\left(1-\delta_{2, a, t+1}\right) V S_{a-1, t+1} \\
&+\kappa_{2, a, t}\left(1-\delta_{2, a, t+1}\right) V S_{a, t+1}-\kappa_{2, a, t} V 2 S_{a, t+1} \\
& V 2 I_{a, t+1}=V 2 I_{a, t+1}-\sigma_{a} V 2 I_{a, t+1}+\sigma_{a}\left(1-v_{2, a-1, t+1}\right) V I_{a-1, t+1}+\kappa_{2, a, t} V I_{a, t+1}-\kappa_{2, a, t} V 2 I_{a, t+1} \\
& V 2 R_{a, t+1}= V 2 R_{a, t+1}-\sigma_{a} V 2 R_{a, t+1}+\sigma_{a}\left(1-v_{2, a-1, t+1}\right) V 2 R_{a-1, t+1}+\sigma_{a} v_{2, a-1, t+1} \delta_{2, a, t+1} V S_{a-1, t+1} \\
&+\sigma_{a} v_{2, a-1, t+1} V R_{a-1, t+1}+\kappa_{2, a, t} V R_{a, t+1}-\kappa_{2, a, t} V 2 R_{a, t+1} \\
& V 3 S_{a, t+1}=V 3 S_{a, t+1}-\sigma_{a} V 3 S_{a, t+1}+\sigma_{a} V 3 S_{a-1, t+1}+\sigma_{a} v_{2, a-1, t+1}\left(1-\delta_{3}\right) V 2 S_{a-1, t+1} \\
& \quad+\kappa_{2, a, t}\left(1-\delta_{3}\right) V 2 S_{a, t+1}
\end{aligned}
$$

For the youngest age group ( $a=1$ ), the above equations are specially modified and shown below. We assume newborns are either susceptible or maternally immune, using a proportion of immune population in child-bearing ages from $20(a 0=174)$ to $35(a 1=189)$ years old. No measles vaccination is scheduled to deliver to newborns.

$$
\begin{aligned}
& M_{1, t+1} \\
& =M_{1, t}-\sigma_{a} M_{1, t} \\
& +\sigma_{a} \frac{\sum_{a=a 0}^{a 1} R_{a, t+1}+V R_{a, t+1}+V 2 R_{a, t+1}+V 3 R_{a, t+1}}{\sum_{a=a 0}} S_{a, t+1}+V S_{a, t+1}+V 2 S_{a, t+1}+V 3 S_{a, t+1}+R_{a, t+1}+V R_{a, t+1}+V 2 R_{a, t+1}+V 3 R_{a, t+1} \\
& S_{1, t+1} \\
& =S_{1, t+1}-\sigma_{a} S_{1, t+1} \\
& +\sigma_{a} \frac{\sum_{a=a 0}^{a 1} S_{a, t+1}^{a 1}+V S_{a, t+1}+V 2 S_{a, t+1}+V 3 S_{a, t+1}}{\sum_{a=a 0}+V S_{a, t+1}+V 2 S_{a, t+1}+V 3 S_{a, t+1}+R_{a, t+1}+V R_{a, t+1}+V 2 R_{a, t+1}+V 3 R_{a, t+1}} \\
& V E F F_{1, t+1}=V E F F_{1, t+1}-\sigma_{a} V E F F_{1, t+1} \\
& R_{1, t+1}=R_{1, t+1}-\sigma_{a} R_{1, t+1} \\
& V S_{1, t+1}=V S_{1, t+1}-\sigma_{a} V S_{1, t+1} \\
& V I_{1, t+1}=V I_{1, t+1}-\sigma_{a} V I_{1, t+1} \\
& V R_{1, t+1}=V R_{1, t+1}-\sigma_{a} V R_{1, t+1} \\
& V 2 S_{1, t+1}=V 2 S_{1, t+1}-\sigma_{a} V 2 S_{1, t+1} \\
& V 2 I_{1, t+1}=V 2 I_{1, t+1}-\sigma_{a} V 2 I_{1, t+1} \\
& V 2 R_{1, t+1}=V 2 R_{1, t+1}-\sigma_{a} V 2 R_{1, t+1} \\
& V 3 S_{1, t+1}=V 3 S_{1, t+1}-\sigma_{a} V 3 S_{1, t+1} \\
& V 3 I_{1, t+1}=V 3 I_{1, t+1}-\sigma_{a} V 3 I_{1, t+1} \\
& V 3 R_{1, t+1}=V 3 R_{1, t+1}-\sigma_{a} V 3 R_{1, t+1}
\end{aligned}
$$

## Note S2. Calculating national SIA coverage

In the DynaMICE model, SIAs are implemented at the beginning month of each calendar year and at national level. To obtain the input for national coverages over time, we first extracted the number of population reached by historical SIAs and targeted ranges for the age groups from the WHO database [8]. We assumed that infants younger than 6 months old are not eligible to receive an SIA dose, if the lower bound of the targeted age group is not available in the WHO data. For SIAs engaged with 'school-age' population, we assumed children aged between 6 and 17 years old are targeted. In countries where there are multiple records of SIA events in the same calendar year, we assumed they are implemented with a one-month interval. The national number of population reached by SIAs was then divided by the national population size [9] for each age group, to calculate the time- and age-specific SIA coverages, denoted as $v_{3, a, t}$ in Table S1 and model equations. The coverages are capped to $100 \%$ and presented for the top ten countries with high measles mortality (Figure 2 in the main text).

## Note S3. Constructing contact patterns

As shown in Part 1 of model equations in Note S1, we incorporated a contact matrix ( $\boldsymbol{C}_{a, a^{\prime}}$ ) in the DynaMICE model to address age-dependent measles transmission. Here we described the details about how the four types of contact patterns in this study were constructed.

## (i) POLYMOD matrix

The original contact data were extracted from the POLYMOD study [1], a large-scale diary-based survey across eight European countries. The physical contact matrix for Great Britain was previously used in the DynaMICE model to approximate the general pattern of age-dependent contact across different settings [10]. In obtaining the matrix ( $\boldsymbol{C}_{a, a^{\prime}}$ ) ready for use in DynaMICE, we first expanded the original POLYMOD matrix for fine age structure. We then conducted pairwise adjustment [11] to ensure the reciprocity of contact pairs over the simulation period between 2000-2050, based on the time-varying country-specific demographics [9]. Finally, the matrix was standardised by its largest eigenvalue ('POLYMOD' in in Figure S2).

## (ii) Synthetic matrix

Synthetic contact matrices were built on the POLYMOD surveys and adjusted for household structure, labor participation, school enrolment, and other country-specific characteristics [2]. With the adjustment on country-specific characteristics, synthetic matrices are likely to better represent the contact pattern in countries where empirical contact studies are not available. We followed the same approaches as used in processing the POLYMOD matrix for age structure expansion, reciprocity adjustment, and standardisation ('Synthetic' in Figure S2).

## (iii) Proportional matrix

We assumed that the contact probability with a particular age group depends on the proportion of population in a specific age group. The proportional mixing matrix is presented as:
$\boldsymbol{C}_{a, a \prime}^{(p r p)}=\left[\begin{array}{ccccc}\frac{N_{1}}{N} & \cdots & \frac{N_{a \prime}}{N} & \cdots & \frac{N_{254}}{N} \\ \vdots & \ddots & \vdots & \ddots & \vdots \\ \frac{N_{1}}{N} & \cdots & \frac{N_{a \prime}}{N} & \cdots & \frac{N_{254}}{N}\end{array}\right]$
, where $N_{a}$ denotes the population size of age $a^{\prime}$ and $N$ denotes the total population across all ages. For each country, we applied a time-varying matrix according to the age distribution over the simulation years. Based on the proportional mixing, the force of infection matrix is identical across age groups:

$$
\lambda_{a, t}^{(p r p)}=\omega_{t} R_{0} g \sum_{a \prime=1}^{a^{\prime}=254} \boldsymbol{C}_{a, a \prime}^{(p r p)} \frac{\left(I_{a \prime, t}+V I_{a \prime, t}+V 2 I_{a \prime, t}+V 3 I_{a \prime, t}\right)}{N_{a \prime, t}}=\omega_{t} R_{0} g \frac{\sum_{a \prime=1}^{a \prime=254}\left(I_{a \prime, t}+V I_{a \prime, t}+V 2 I_{a \prime, t}+V 3 I_{a \prime, t}\right)}{\sum_{a \prime=1}^{a \prime 254} N_{a \prime, t}} .
$$

This is also known as 'homogeneous mixing' contact pattern.

## (iv) Uniform matrix

We assumed equal contact probabilities for each yearly age from 0 to 100 years old, and further divided the contact probability by 52 for the weekly age groups. The uniform mixing matrix is written as:
$\boldsymbol{C}_{a, a \prime}^{(u n i)}=\left[\begin{array}{cccccc}\frac{1}{101 \times 52} & \cdots & \frac{1}{101 \times 52} & \frac{1}{101} & \cdots & \frac{1}{101} \\ \vdots & \ddots & \vdots & \vdots & \ddots & \vdots \\ \frac{1}{101 \times 52} & \cdots & \frac{1}{101 \times 52} & \underbrace{\frac{1}{101}}_{\begin{array}{c}\text { weeklyage } \\ 0-2 \text { years old } \\ 3-100 \text { years old }\end{array}} \cdots & \cdots & \frac{1}{101} \\ \begin{array}{c}\text { yeare }\end{array}\end{array}\right]$.
There is no age dependency in mixing and the force of infection is identical across age groups and countries.

Figure S1. Case-fatality risks using Wolfson's and Portnoy's approaches, 2000-2050. In Wolfson's approach, we assumed CFRs for over five years old to be half of that for under five years old [12]. In the Portnoy's approach [13], time-varying CFRs were obtained using a statistical model and assumed to remain constant after 2018. In most countries except Pakistan, the updated CFR estimates using Portnoy's method appear to be relatively lower at a smaller scale.


Figure S2. Standardised social contact matrices in ten high-burden countries. POLYMOD Great Britain [1] and country-specific synthetic matrices [2] used in the study are presented. Note that there is no available data for Somalia and thus the synthetic matrix for Ethiopia was adopted considering the geographical proximity and similar socio-behavioural dynamics. For comparison, each matrix is standardised by dividing by its largest eigenvalue.

India



Pakistan



Afghanistan
POLYMOD



Tanzania





Nigeria



Ethiopia




Niger



DR Congo



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